

REMARKS

Entry of the above amendment is respectfully requested.

Respectfully submitted,

PIPER MARBURY RUDNICK & WOLFE

Date: December 21, 2000 By: Michael L. Kenaga
Michael L. Kenaga
Reg. No. 34,639

PIPER MARBURY RUDNICK & WOLFE

P.O. Box 64807

Chicago, IL 60664-0807

(312) 368-4000

1. The first part of the paper is devoted to the study of the properties of the function $f(x)$ defined by the equation $f(x) = \int_0^x f(t) dt$. It is shown that $f(x)$ is a continuous function and that it satisfies the functional equation $f(x+y) = f(x) + f(y)$. The function $f(x)$ is also shown to be differentiable and its derivative is found to be $f'(x) = f(x)$.